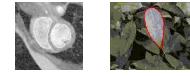


### Last time

 Fitting an arbitrary shape with "active" deformable contours



## Deformable contours

a.k.a. active contours, snakes

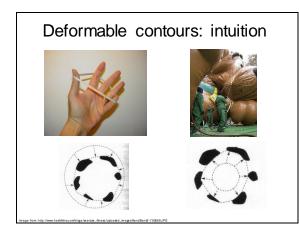
**Given**: initial contour (model) near desired object **Goal**: ev olv e the contour to f it exact object boundary

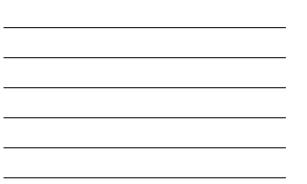


Main idea: elastic band is iteratively adjusted so as to

- be near image positions with high gradients, **and**
- satisfy shape "preferences" or contour priors

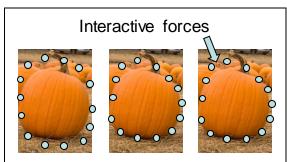
Figure credit: Yuri Boykov





### Aspects we need to consider

- · Representation of the contours
- · Defining the energy functions
  - External
  - Internal
- Minimizing the energy function
- Extensions:
  - Tracking
  - Interactive segmentation



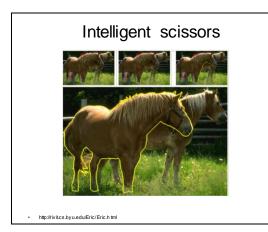
How can we implement such an *interactive* force with deformable contours?

# Interactive forces

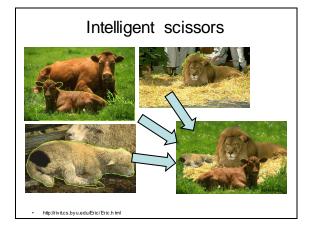
- An energy function can be altered online based on user input - use the cursor to push or pull the initial snake aw ay from a point.
- Modify external energy term to include:

Nearby points get pushed hardest









# Intelligent scissors

Another form of interactive segmentation:

Compute optimal paths from every point to the seed based on edge-related costs.

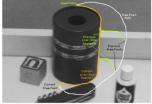
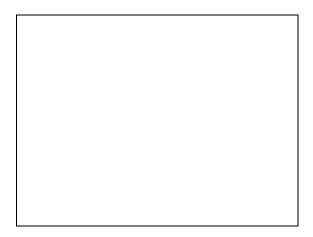


Figure 2: Image demonstrating how the live-wire segment adapts an snaps to an object boundary as the free point moves (via cursor move ment). The path of the free point is shown in white. Live-wire segmen from previous free point positions (t<sub>0</sub>, t<sub>1</sub>, and t<sub>2</sub>) are shown in green.

### VIDEO

[Mortensen & Barrett, SIGGRAPH 1995, CVPR 1999]



### Deformable contours: pros and cons

### Pros:

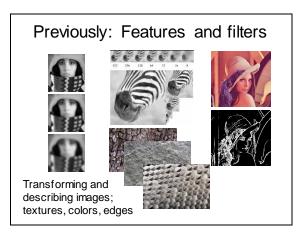
- · Usef ul to track and fit non-rigid shapes
- Contour remains connected
- · Possible to fill in "subjective" contours
- · Flexibility in how energy function is defined, weighted.

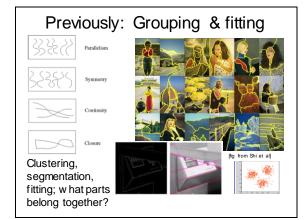
### Cons:

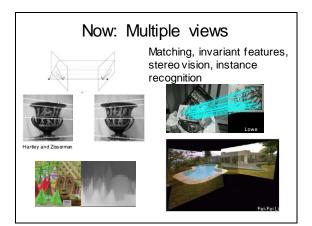
- Must have decent initialization near true boundary, may get stuck in local minimum
- Parameters of energy function must be set well based on prior information

# Recap: Deformable contours

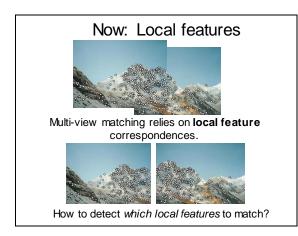
- Deformable shapes and active contours are useful for
  Segmentation: fit or "snap" to boundary in image
  - Tracking: previous frame's estimate serves to initialize the next
- · Fitting active contours:
  - Define terms to encourage certain shapes, smoothness, low curvature, push/pulls,  $\ldots$
  - Use weights to control relative influence of each component cost
  - Can optimize 2d snakes with Viterbi algorithm.
- Image structure (esp. gradients) can act as attraction force for *interactive* segmentation methods.









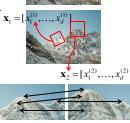


# Detecting local invariant features

- · Detection of interest points
  - Harris corner detection
  - Scale invariant blob detection: LoG
- (Next time: description of local patches)

## Local features: main components 1) Detection: Identify the interest points 2) Description:Extract vector $\mathbf{x}_1 = [\mathbf{x}_1^{(1)}, \dots, \mathbf{x}_{n-1}]$ feature descriptor surrounding each interest point. 3) Matching: Determine

correspondence between descriptors in two views



### Goal: interest operator repeatability

• We want to detect (at least some of) the same points in both images.

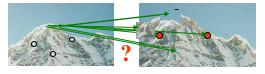


No chance to find true matches!

· Yet we have to be able to run the detection procedure independently per image.

### Goal: descriptor distinctiveness

• We want to be able to reliably determine w hich point goes with w hich.



 Must provide some invariance to geometric and photometric differences between the two views.

# Local features: main components

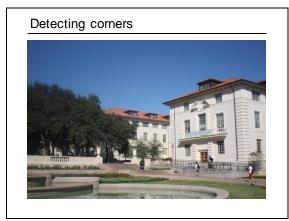
1) Detection: Identify the interest points

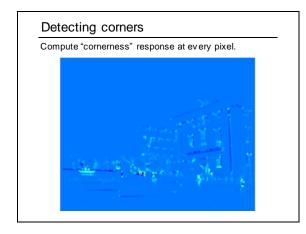


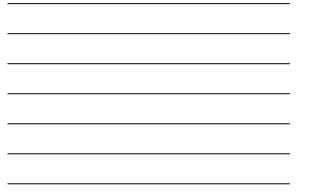
- 2) Description:Extract vector feature descriptor surrounding each interest point.
- Matching: Determine correspondence between descriptors in two views



· What points would you choose?

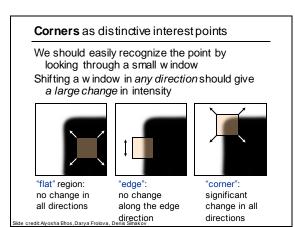


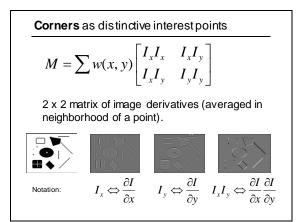




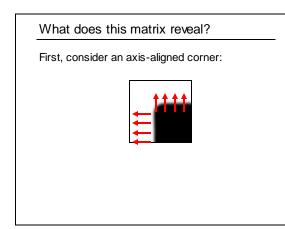
Detecting corners











### What does this matrix reveal?

First, consider an axis-aligned corner:

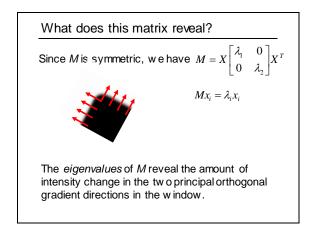
$$M = \sum \begin{bmatrix} I_x^2 & I_x I_y \\ I_x I_y & I_y^2 \end{bmatrix} = \begin{bmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{bmatrix}$$

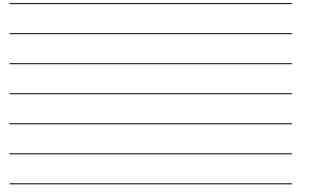
This means dominant gradient directions align with x or y axis

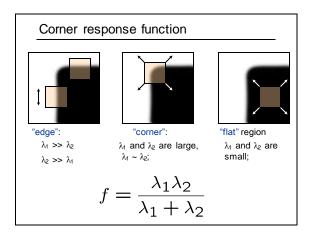
Look for locations where **both**  $\lambda$ 's are large.

If either  $\lambda$  is close to 0, then this is **not** corner-like.

What if we have a corner that is not aligned with the image axes?







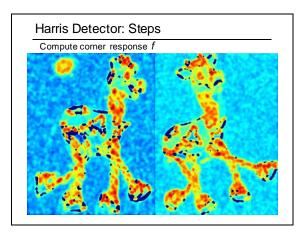


### Harris corner detector

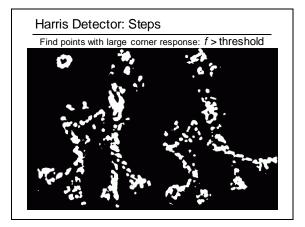
- 1) Compute *M* matrix for each image window to get their *cornerness* scores.
- 2) Find points w hose surrounding w indow gave large corner response (*f>* threshold)
- 3) Take the points of local maxima, i.e., perform non-maximum suppression

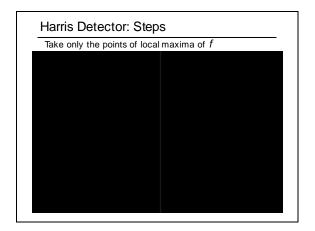
# Harris Detector: Steps



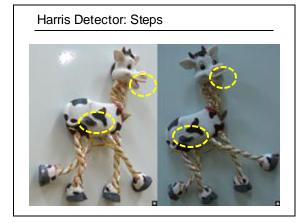


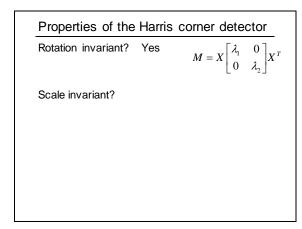


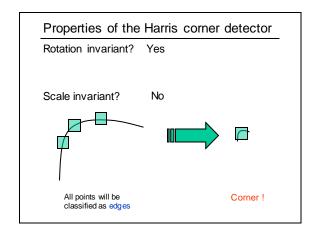










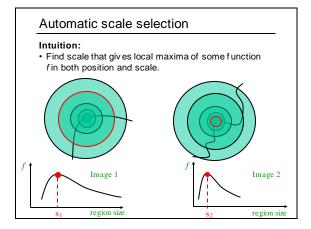




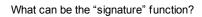
### Scale invariant interest points

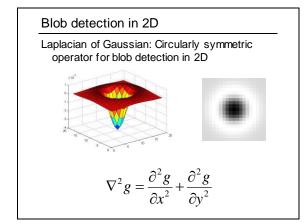
How can we independently select interest points in each image, such that the detections are repeatable across different scales?



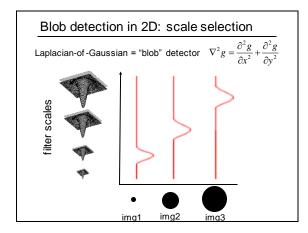




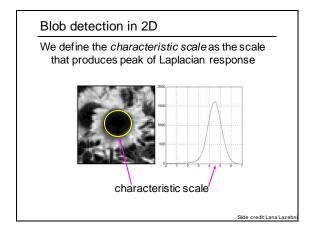




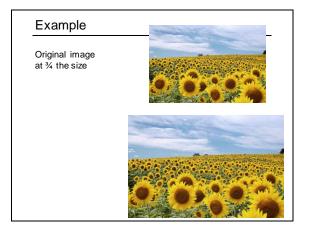


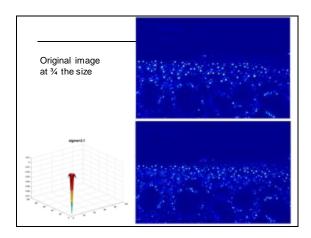




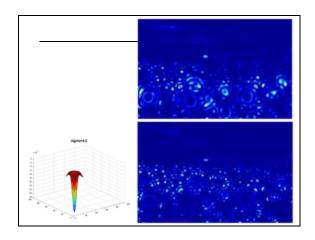




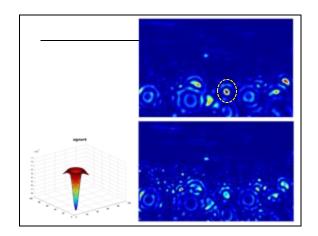


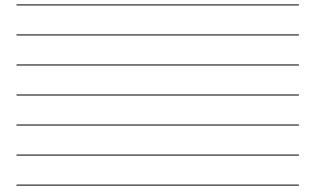


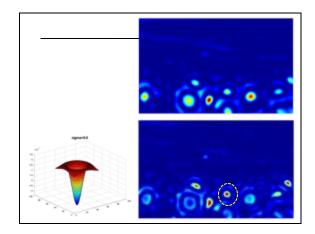




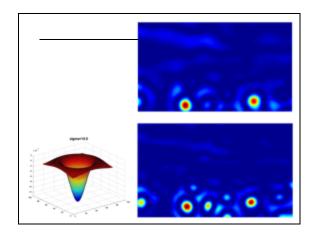




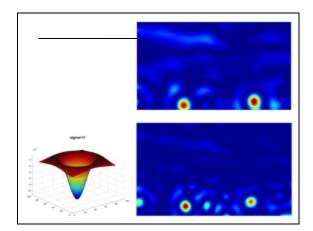




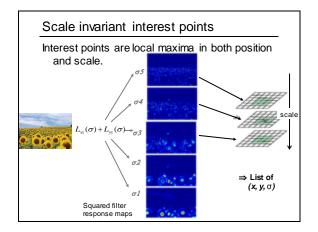














# Scale-space blob detector: Example

# Summary

- · Interest point detection
  - Harris corner detector
  - Laplacian of Gaussian, automatic scale selection